'How To' Guide - One Number as a \% of
Another Number

Percentages: A proportion based on the number 100. Its symbol is \%.
We can use percentages to compare quantities that are presented in different formats; e.g. decimals, fractions and ratios.
Converting one number into a \% of another is an excellent way to compare fractions of different denominators.

## Example 1



Change $\frac{19}{35}$ into a percentage.


## Example 2



Change $\frac{4}{5}$ into a percentage.

$$
\frac{4}{5} \times \frac{20}{20}=\frac{80}{100}
$$

Since the denominator is $\mathbf{1 0 0}$ we can interpret this as a percentage. In this case $80 \%$

## Example 3

Change $\frac{3}{8}$ into a percentage.
Since eight is not a factor of 100 we need to use a different denominator. In this case $\mathbf{2 0 0}$ would work.

$$
\begin{gathered}
\frac{3}{8} \times \frac{25}{25}=\frac{75}{200} \\
\frac{75}{200}=\frac{37.5}{100}
\end{gathered}
$$

Therefore the answer is $37.5 \%$

## How we teach it

- It is important to realise that there are two distinct approaches to this topic.
- Method 1: With a calculator
- Method 2: Without a calculator.


## Method 1: Calculator allowed

- Set your two numbers out as a fraction with a numerator (the first number) and a denominator (the second number).
- Divide the numerator by the denominator then multiply the answer by 100 .


## Method 2: No Calculator allowed

- Set your two numbers out as a fraction with a numerator (the first number) and a denominator (the second number).
- Convert the fraction into another with a denominator of 100 (if possible).
- Use the basic principles of equivalent fractions to do this (perform the same operation to the numerator as you do to the denominator).
- Once you have the fraction over 100 , the percentage is the value of the numerator. If 100 is not available, try for 200 then halve your numerator etc.


## Additional info

- Not every calculation will result in a 'neat and tidy' answer Some will generate a decimal answer that recurs.
This means the decimal part of the answer will continue forever (with a repeating pattern).
Such examples are when the denominator is 3 (or a multiple of 3) or 7 (or a multiple of 7 )
- In this case it is normal practice to round the decimal to an appropriate degree of accuracy. (2 decimal places will usually suffice)

$$
\text { E.g. } \quad \frac{1}{6}=16.67 \%
$$

## Common mistakes

- Leaving the calculator answer as a decimal - forgetting to multiply by 100.
- Not understanding that you can have more than $100 \%$.
- Using an incorrect multiplier to generate a denominator of 100 .
- Forgetting to perform the same operation to the numerator as you do to the denominator, resulting in an answer too small.
- Poor multiplication/numeracy skills .
- Panicking and rejecting an answer when the decimal recurs (in the case of a multiple of 3) and when the decimal looks nasty (in the case of a multiple of 7).
- Not knowing what multiplier to use in the case of a non-calculator question.


## What can you do to help?

- Whenever you set a piece of work that can be marked numerically, write the mark as a fraction.
- Ask the students to convert the fractional grade into a percentage.
- If the denominator allows, use the non-calculator method. If not, use the calculator method.

